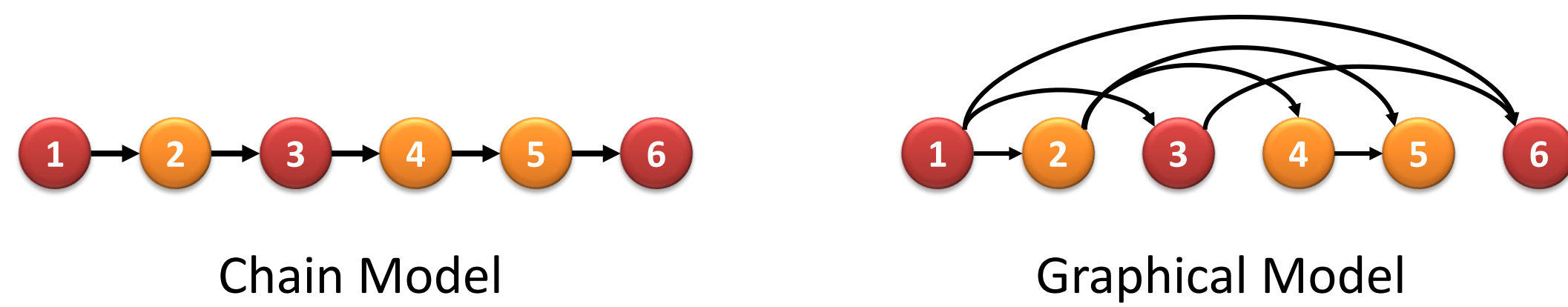


Problem

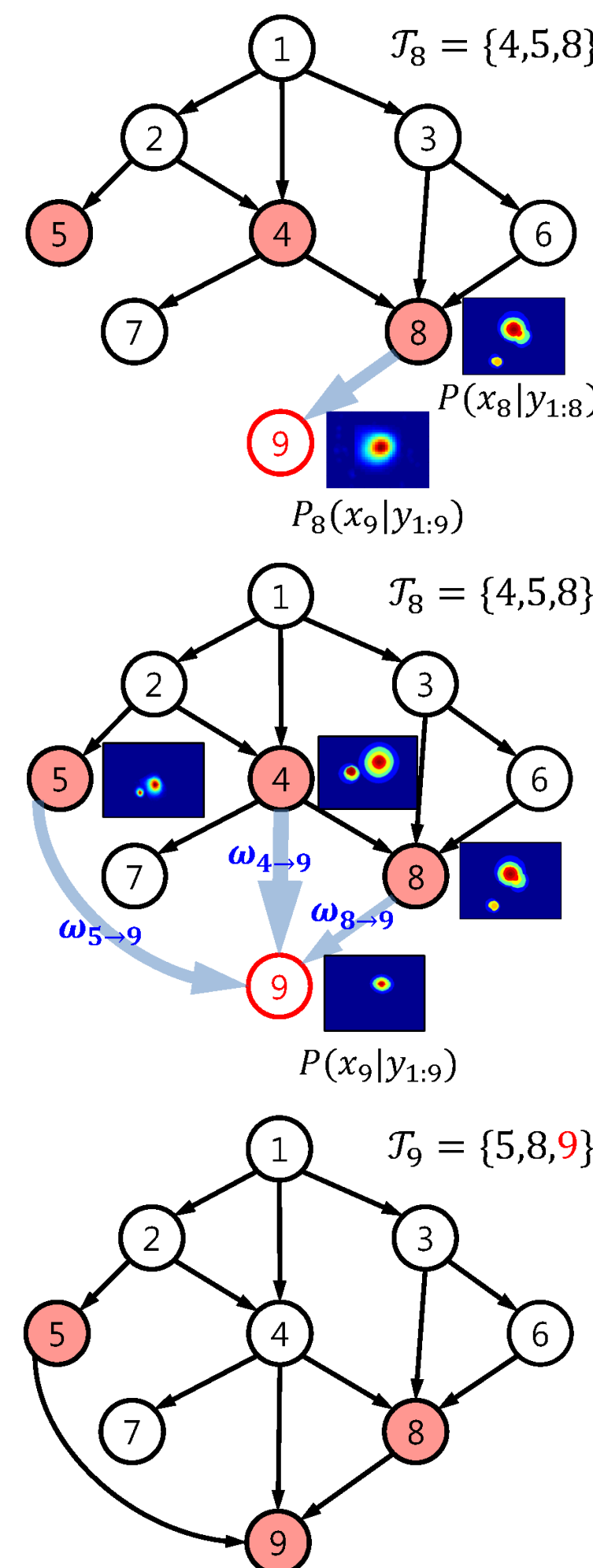
- Motivation:** Visual tracking relying on a chain model is not reliable in challenging situations.
- Objective:** Online tracking which adaptively constructs a graph structure based on the target characteristic.
- Our approach:** Track the current frame using multiple previous frames **selected by representability** and **weighted by tracking suitability**.



Main Framework

1 Density Propagation

- Propagate density functions from representative frames through a patch matching.



2 Density Aggregation

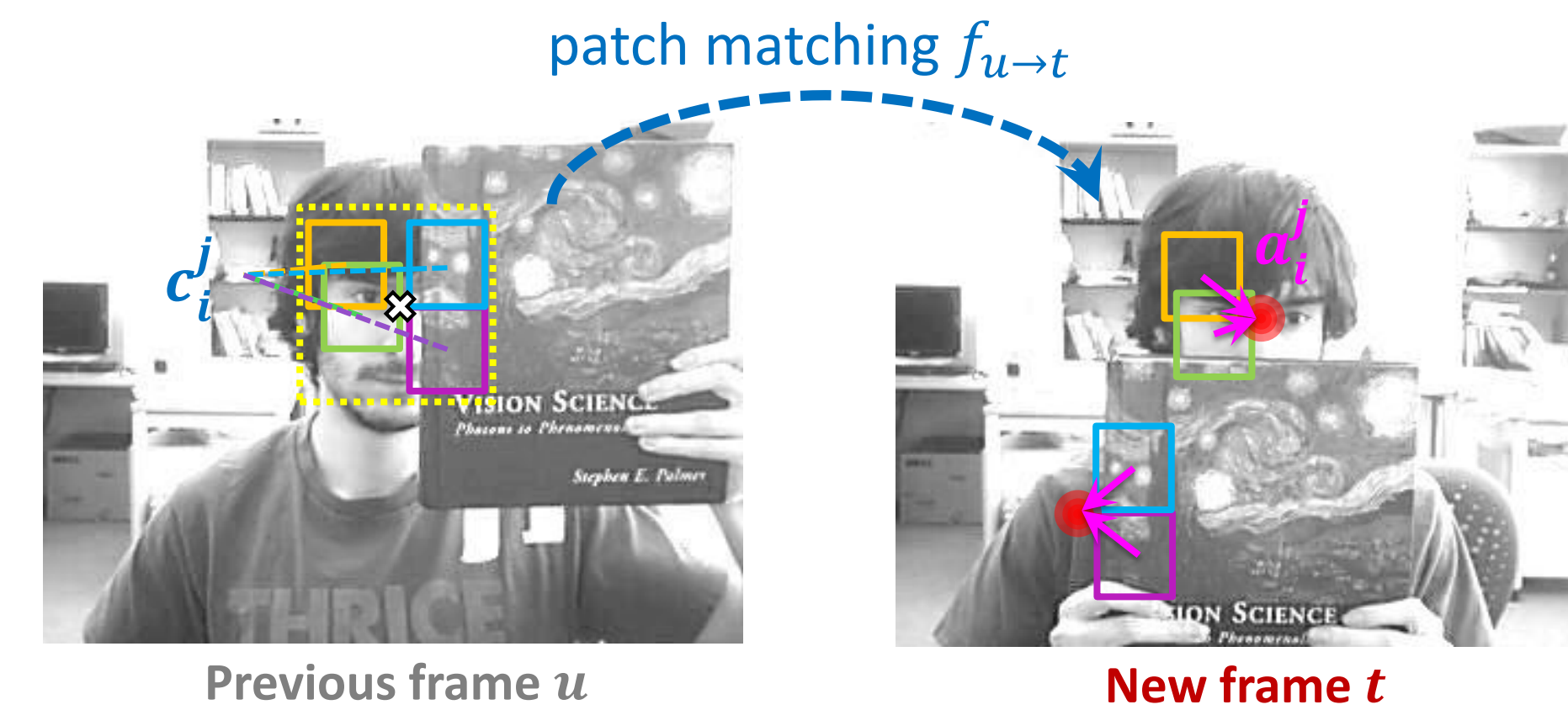
- Estimate the target posterior by a weighted Bayesian model averaging, where the weights are computed by tracking plausibility.

3 Model Update

- Evaluate the reliability of the tracking result and update the representative frame set if necessary.

1 Density Propagation

- Propagate a posterior by patch matching and voting procedure [1].
- Prediction and update steps are jointly implemented by patch matching and center voting.



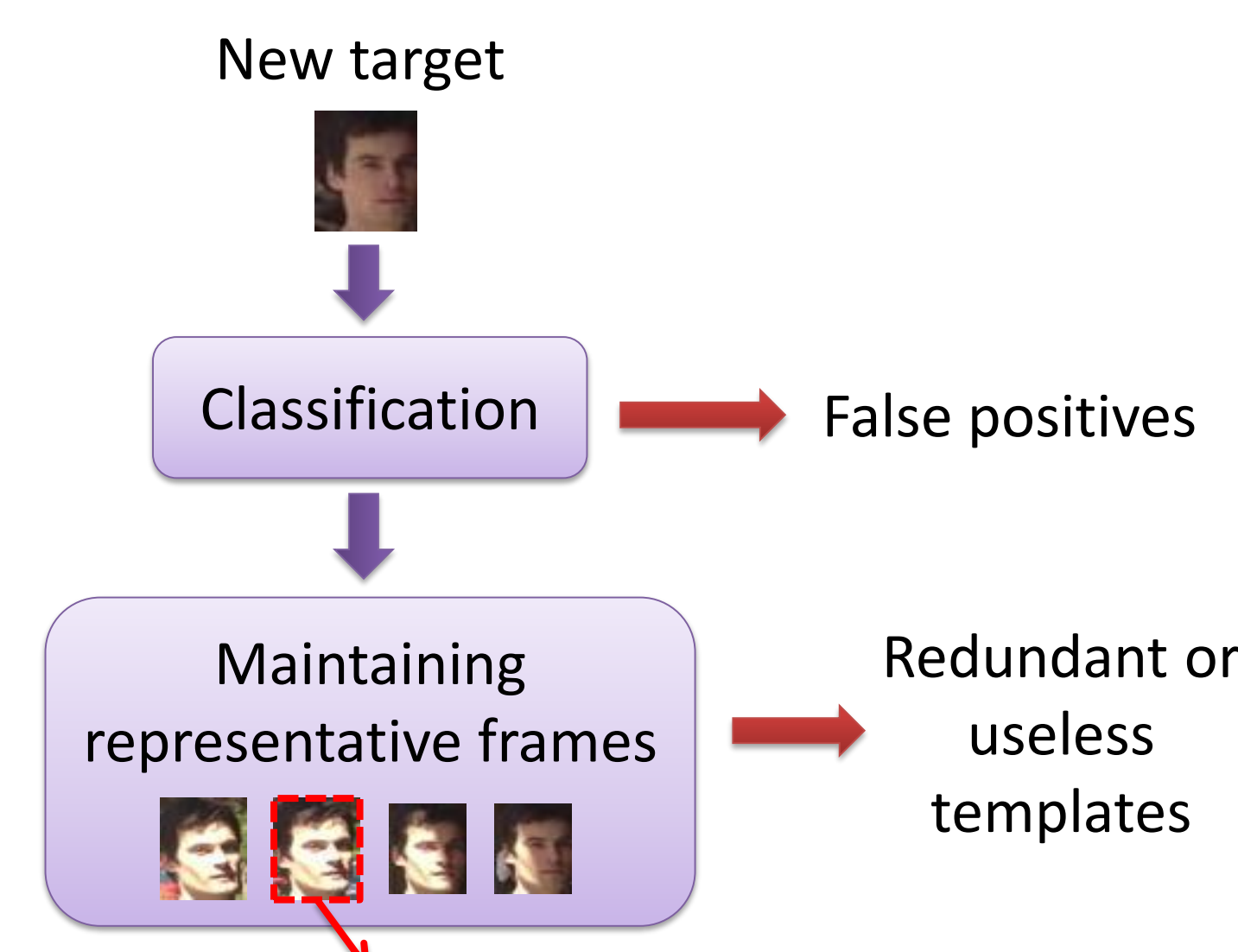
$$P_u(x_t|y_{1:t}) = \alpha_{u \rightarrow t} P_u(y_t|x_t) \int P(x_t|x_u) P(x_u|y_{1:u}) dx_u$$

$$\approx \sum_{x_u \in S_u} \sum_{j=1}^{r_u^i} \mathcal{N}(x_t; f_{u \rightarrow t}(c_u^j) - a_u^j, \Sigma)$$

S_u : A set of samples drawn from $P_u(x_u|y_{1:u})$

[1] Hong, S., Kwak, S., Han, B.: Orderless tracking through model-averaged posterior estimation. In: ICCV. (2013)

3 Model Update



2 Density Aggregation

- Weighted Bayesian Model Averaging.

$$P(x_t|y_{1:t}) \propto \sum_{u \in T_{t-1}} \omega_{u \rightarrow t} P_u(x_t|y_{1:t})$$

T_{t-1} : A set of representative frames when tracking t

- The weight is determined by **potential tracking error**.

$$\omega_{u \rightarrow t} = \frac{\exp(-\eta \cdot \delta_{u \rightarrow t})}{\sum_{s \in T_{t-1}} \exp(-\eta \cdot \delta_{s \rightarrow t})}$$

$\delta_{u \rightarrow t}$: The potential error of tracking $u \rightarrow t$

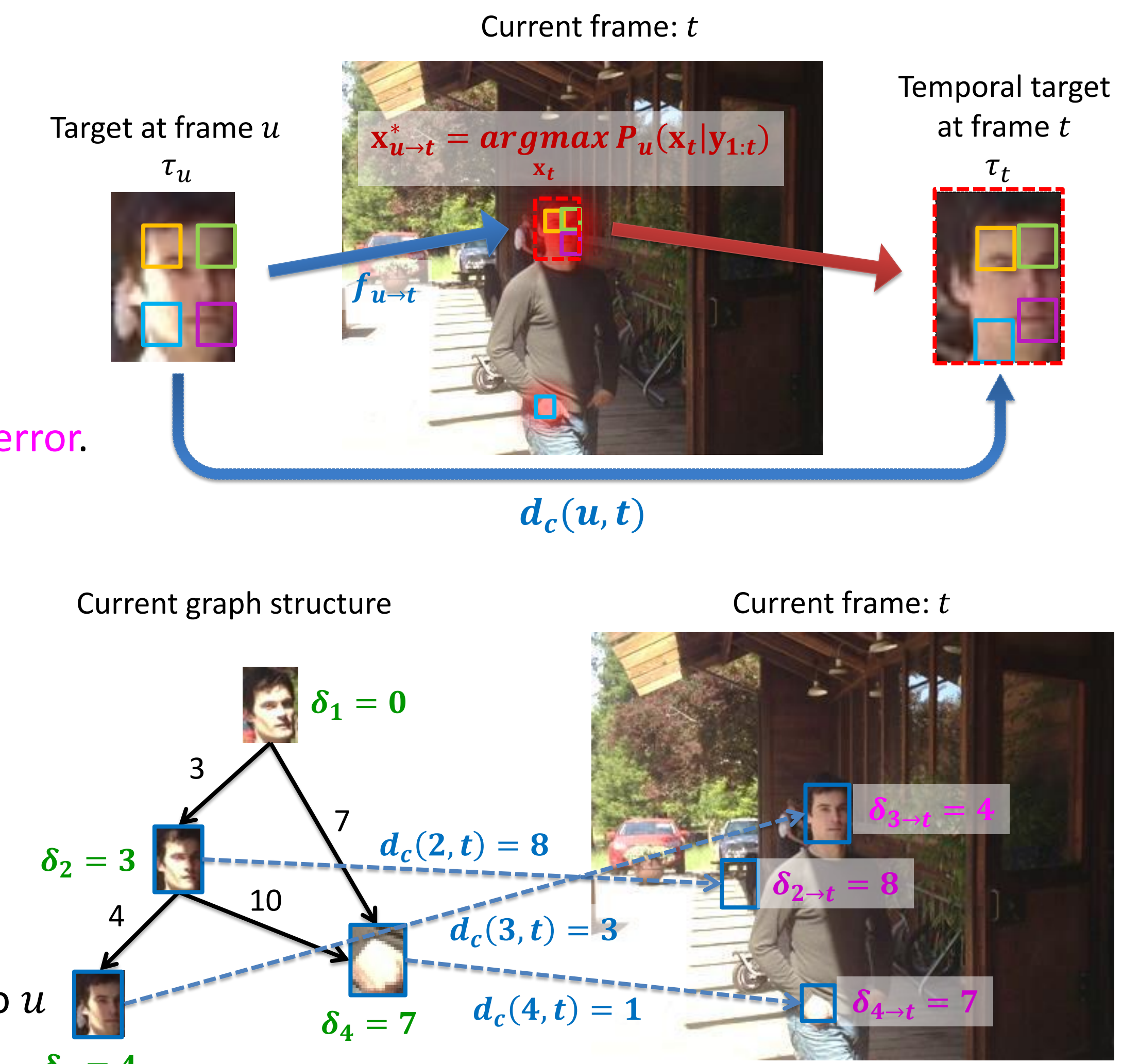
$$\delta_{u \rightarrow t} = \max(d_c(u, t), \delta_u)$$

$d_c(u, t)$: The deformation cost by patch matching

$$d_c(u, t) = \text{median}_j \|c_u^j - f_{u \rightarrow t}(c_t^j; \tau_t)\|$$

δ_u : The *minimax* distance from the initial frame to u

$$\delta_u = \min_{v \in T_{u-1}} \delta_{v \rightarrow u} = \min_{v \in T_{u-1}} \max(d_c(v, u), \delta_v)$$



Classification

- Prevent false tracking results from entering the representative frame set.
- A set of positive and negative templates $\mathcal{D}_{t-1} = \{\tau_1^+, \dots, \tau_{N_p}^+, \tau_1^-, \dots, \tau_{N_n}^-\}$
- New target template τ_t^* is positive if

$$\frac{S_p}{S_p + S_n} < \rho$$

S_p : The average Euclidean distance between τ_t^* and k -nearest positive templates in $\mathcal{D}_{t-1}$
 S_n : The Euclidean distance between τ_t^* and the nearest negative template in $\mathcal{D}_{t-1}$

Maintaining representative frames

- Each template in the representative frame set should be distinct and useful for the further tracking.

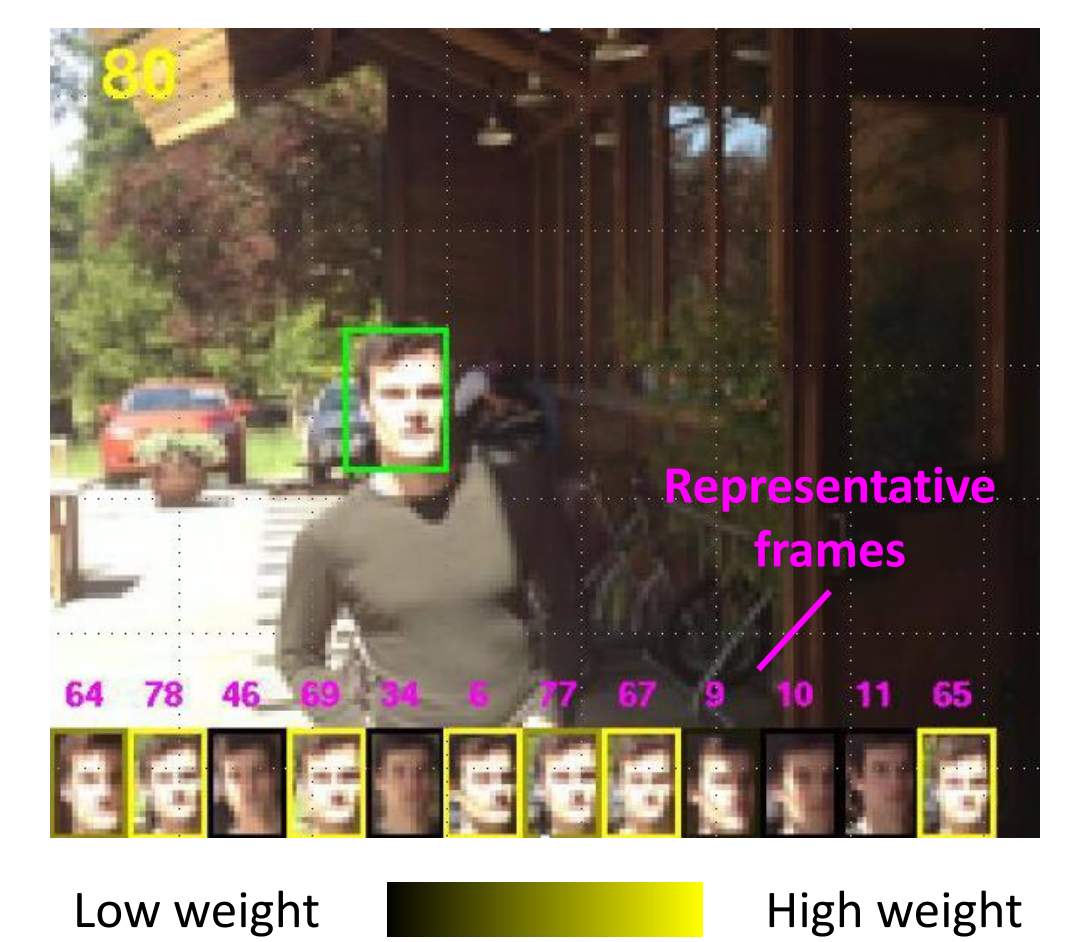
Distinctiveness
 $\kappa_u^{(1)} = \min_{v \in T_{t-1} \setminus \{u\}} \Delta(u, v)$
 patch matching distance

Usefulness
 $\kappa_{u,t}^{(2)} = (1 + \sigma_y \omega_{u \rightarrow t}) \kappa_{u,t-1}^{(2)}$
 classification result (+1 or -1)

$\kappa_{u,t} = \kappa_u^{(1)} \cdot \kappa_{u,t}^{(2)}$

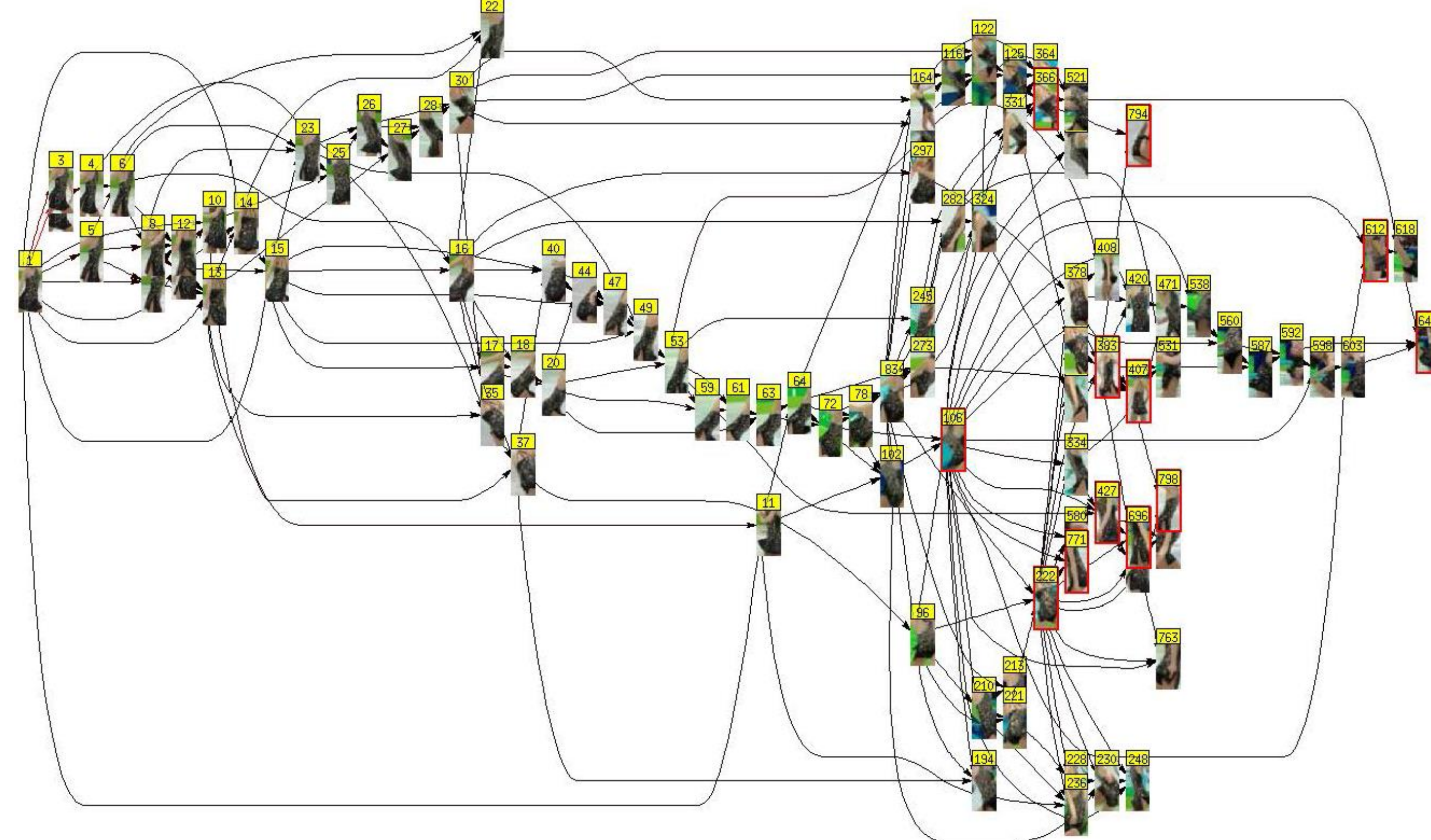
$m = \text{argmin}_{u \in T_{t-1}} \kappa_{u,t}$

$T_t = \begin{cases} (T_{t-1} \setminus \{m\}) \cup \{t\} & \text{if } \kappa_{t,t} > \kappa_{m,t} \\ T_{t-1} & \text{otherwise} \end{cases}$



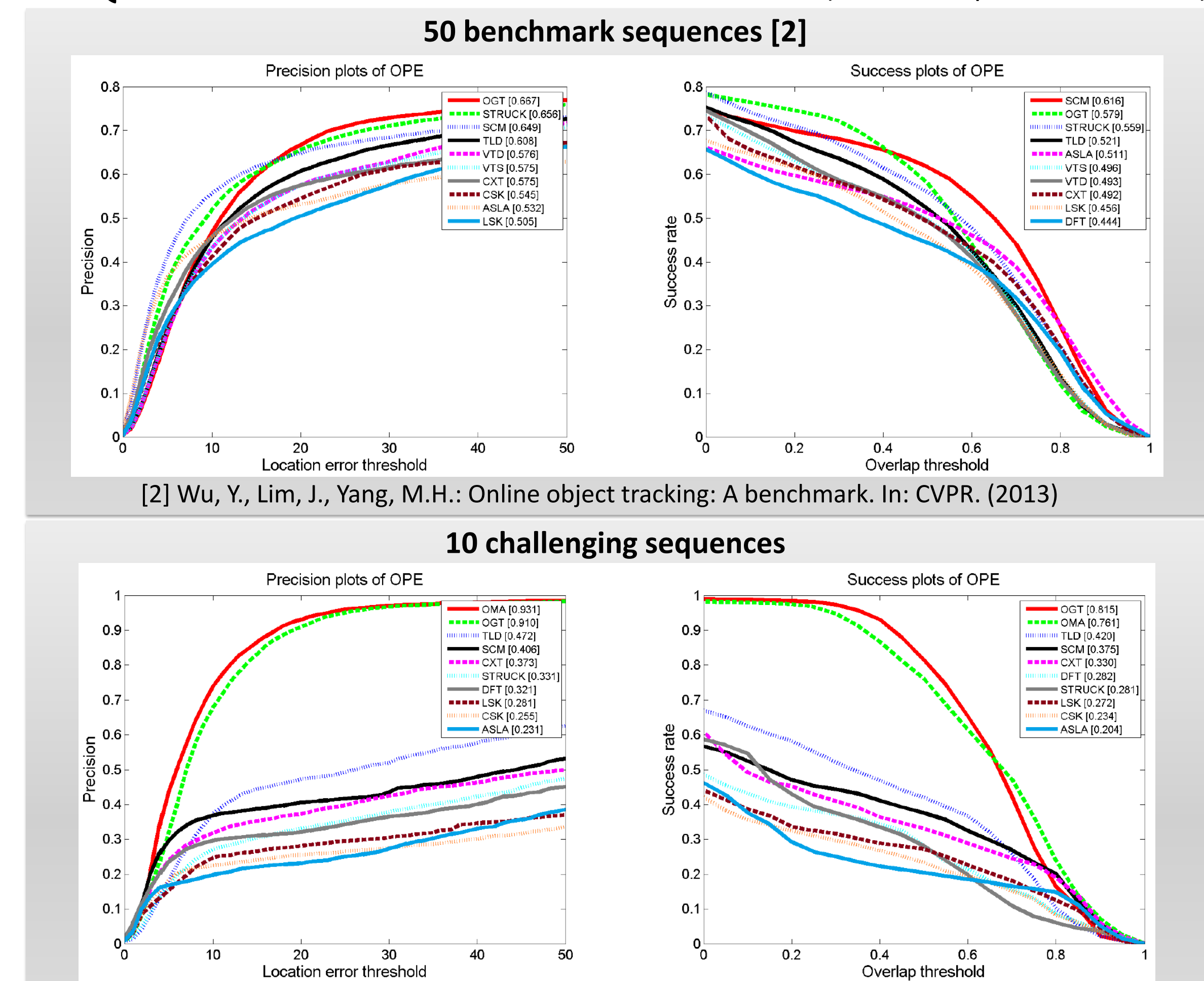
Experiments

- Identified graph structure (*skating sequence*)



Quantitative results

Our tracker: OGT (Online Graph-based Tracker)



Qualitative results

